

# Cosmic Rays & Dissipation in the ICM

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Work in Progress

# Plan of Talk

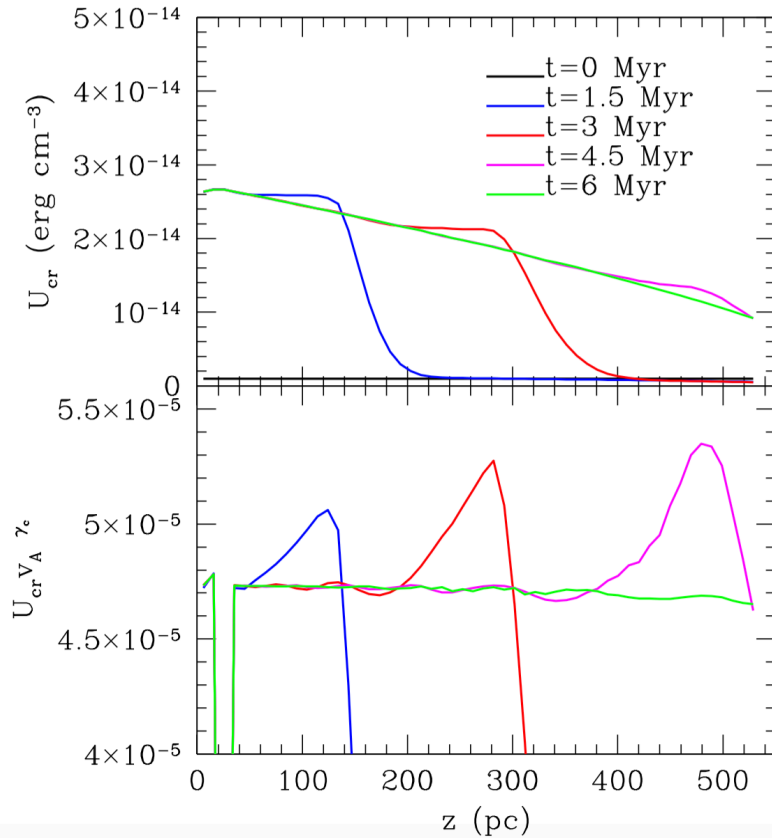
- Overarching questions & motivation
- Pressure anisotropy instability
- Origin of pressure anisotropy
- Scattering rate, heating rate, Fermi acceleration rate
- Conclusions

# Cosmic Ray Confinement in a Nutshell

- Mediated by gyroscale ( $\sim$ AU) scale small amplitude waves.
- Wave are driven by a turbulent cascade (extrinsic turbulence) or generated by cosmic ray streaming anisotropy (**self confinement**)
- Cosmic rays exert a pressure gradient force in both cases and collisionlessly heat the gas by transferring energy to waves in the self confinement case ( $H = |v_A \cdot \nabla P_c|$ ).

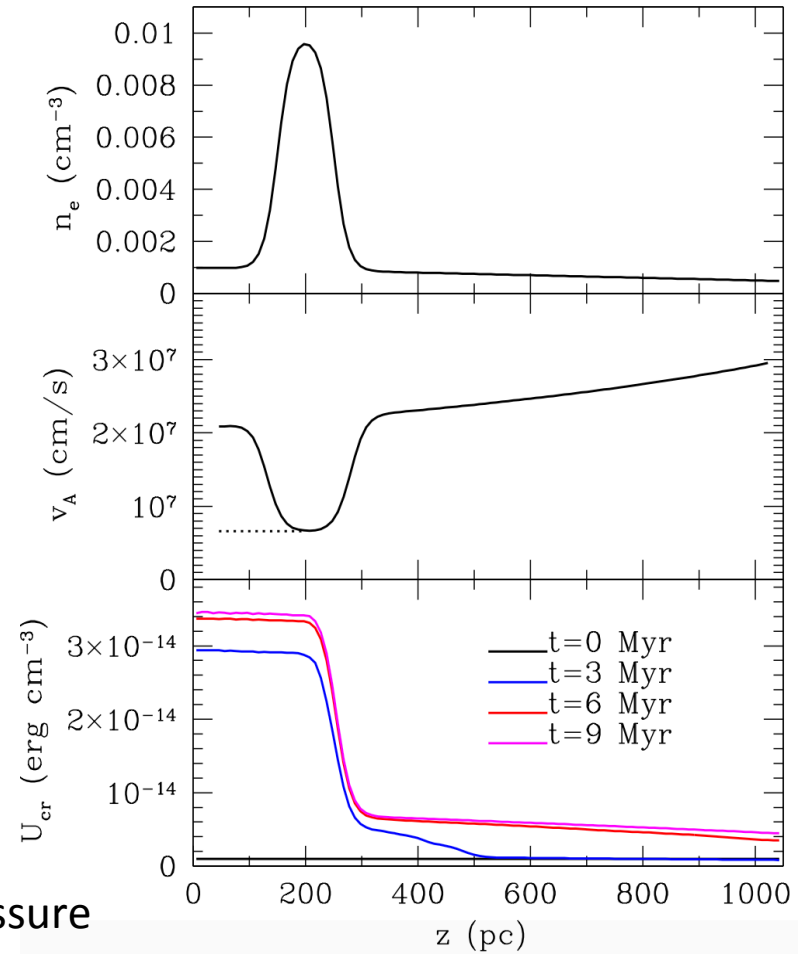
# Bottleneck Effect

No Cloud



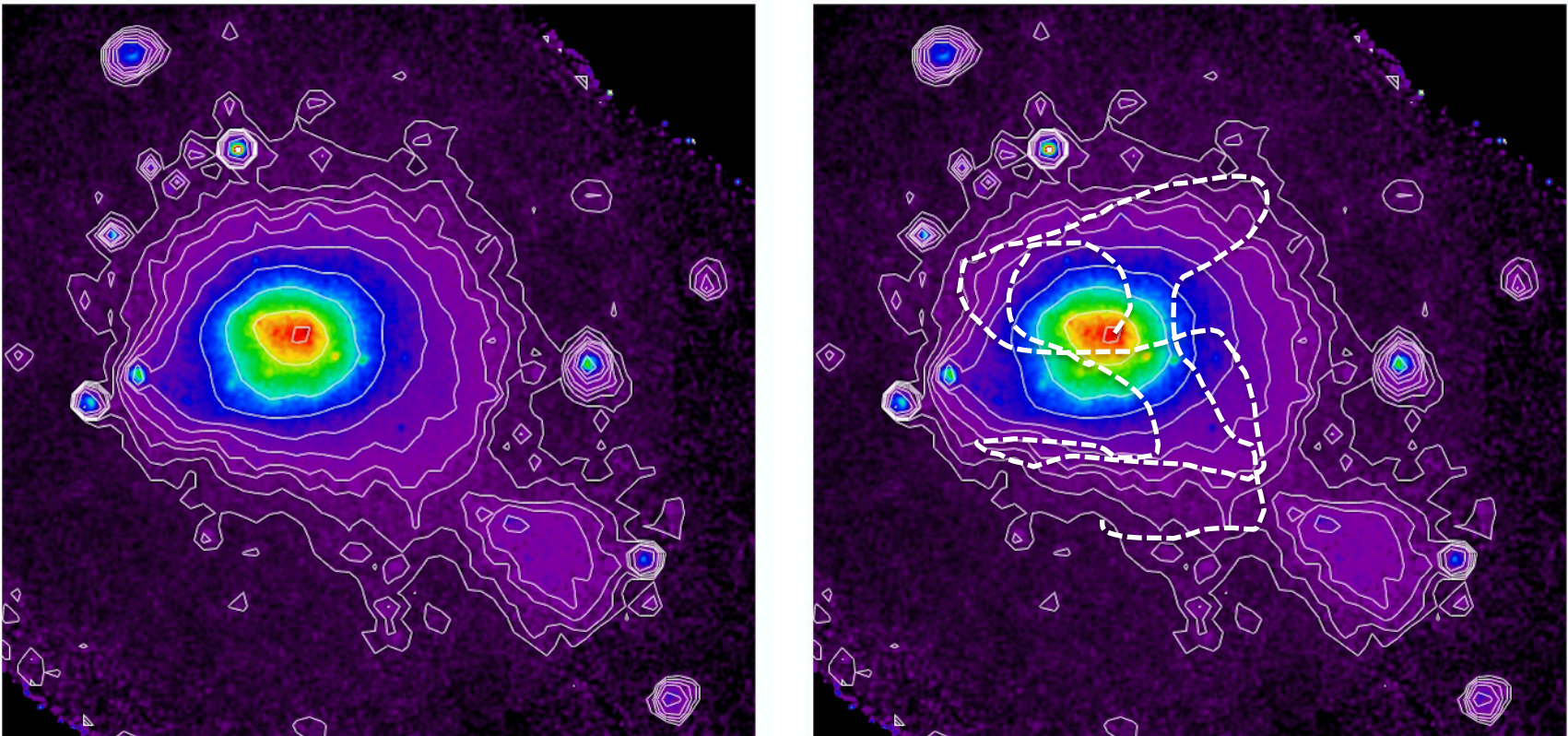
Left: Cosmic rays streaming down their pressure gradient at  $v_A$  evolve to constant  $P_c/\rho_c^{\gamma/2}$ . If  $\rho$  has a maximum,  $P_c$  behind it must go flat (Right).

Cloud



Wiener, Oh, EZ (2017), Wiener, EZ, Ruszkowski arXiv tomorrow

# Propagation in a Tangled Magnetic Field



Rosat x-ray image of Coma Cluster. White dashed line shows how magnetic field might zigzag radially, creating nonlocal cosmic ray transport effects.

# Alternative Scenario for Cosmic Ray Self-Confinement

Energy source drives large scale turbulence

Compression & shear drive cosmic ray pressure anisotropy due to adiabatic invariance of magnetic moment & longitudinal action

Gyroresonant cosmic ray pressure anisotropy instability amplifies gyroscale waves, which provide scattering & confinement.

Also of interest for ISM

Cosmic rays are gyroviscously heated  $\alpha$   
*la* Kunz et al

Gyroscale wave energy transferred to thermal plasma & Fermi-accelerates cosmic rays

# Questions

- What is the cosmic ray scattering mean free path  $\lambda$  in this scenario?
- Is significant energy removed from the turbulent cascade at large scales?
- How is the energy extracted from the turbulence apportioned between thermal gas and cosmic rays?

# If Cosmic Rays are Confined by Extrinsic Turbulence

Energy source drives large scale turbulence

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graph TD; A[Energy source drives large scale turbulence] --> B[Compression & shear drive cosmic ray pressure anisotropy due to adiabatic invariance of magnetic moment & longitudinal action]; B --> C[Cosmic rays absorb turbulent energy through gyroviscous heating.]; D[Do cosmic rays absorb significant energy from the turbulent cascade?];
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Compression & shear drive cosmic ray pressure anisotropy due to adiabatic invariance of magnetic moment & longitudinal action

Cosmic rays absorb turbulent energy through gyroviscous heating.

Do cosmic rays absorb significant energy from the turbulent cascade?



# Anisotropy Instability

Also see Lazarian & Beresnyak 2006

- Driven by cosmic rays which “see” a Doppler shifted wave frequency equal to their (relativistic) gyrofrequency.
  - Waves are circularly polarized & travel in either direction; direction of travel & sense of polarization depend on sign of anisotropy:

$$\Gamma_n = -\frac{\pi}{8} \Omega_0 \frac{a-3}{a-2} \frac{n_c(>p_1)}{n_g} \left[ 1 + \frac{4}{5} n \hat{\mathbf{k}} \frac{c}{v_A} \frac{a-2}{a^2-1} \frac{P_{\parallel} - P_{\perp}}{P} \right]$$

$p_1 \equiv m\Omega_0/k$ ,  $a$  is spectral index,  $n_c$ ,  $n_g$  are cosmic ray & plasma densities,  $\Omega_0$  is cyclotron frequency.

# Origin of Pressure Anisotropy

- Low frequency turbulence change particle momentum  $p$  & cosine of pitch angle  $\mu$  so as to conserve magnetic moment & longitudinal action:

$$\frac{dp}{dt} = \frac{1 - 3\mu^2}{2} \frac{p}{B} \frac{dB}{dt} + \mu^2 \frac{p}{n} \frac{dn}{dt},$$

$$\frac{d\mu}{dt} = \mu (1 - \mu^2) \left( \frac{1}{n} \frac{dn}{dt} - \frac{3}{2B} \frac{dB}{dt} \right)$$

- This is opposed by scattering from gyroresonant waves

# This Plays Out as a Fokker-Planck Equation

$$\frac{\partial f}{\partial t} + R \left[ P_2(\mu) p \frac{\partial f}{\partial p} + \frac{3}{2} \mu (1 - \mu^2) \frac{\partial f}{\partial \mu} \right] + \frac{\dot{n}}{3n} p \frac{\partial f}{\partial p} =$$
$$\frac{1}{p^2} \frac{\partial}{\partial p} (p^2 F_p) + \frac{\partial F_\mu}{\partial \mu},$$

where  $P_2$  is the Legendre function of order 2 and

$$R \equiv \frac{2\dot{n}}{3n} - \frac{\dot{B}}{B}$$

The F represent diffusion in momentum space due to scattering.

# Simplify & Take Fluid Approach

$$\frac{\partial (P_{\parallel} - P_{\perp})}{\partial t} - \frac{8R}{5} U_c + 3\nu (P_{\parallel} - P_{\perp}) = 0,$$

$\nu$  is scattering frequency

$$\frac{\partial U_c}{\partial t} - \frac{\dot{n}}{n} (U_c + P_c) - R (P_{\parallel} - P_{\perp}) = 2 \int \Gamma(\omega, k) I(\omega, k) d\omega dk.$$

Adiabatic response

Gyroviscous heating **H**

Energy transferred to waves

# Cosmic Ray Energization

$$H = \frac{5}{48} \left( \frac{\delta P_c}{P_c} \right)^2 \nu U_c \equiv \frac{5}{48} \left( \frac{\zeta v_A}{c} \right)^2 \nu U_c$$

at marginal stability.

$$H_F = \frac{4}{3} \left( \frac{v_A}{c} \right)^2 \nu U_c$$

Gyroviscous heating  $H$  & Fermi acceleration due to gyroresonant scattering have same parametric dependences

# Estimates

$$\frac{\delta P_c}{P_c} \rightarrow M_t k_{eff} \lambda$$

turbulent Mach number    spectrally weighted k

$$H \rightarrow \frac{5}{48} \zeta M_t k_{eff} v_A U_c$$

$$H_t \sim \rho k_0 M_t^3 c_s^3$$

# Summary & Provisional Conclusions

- Turbulent compression and shearing can trigger cosmic ray pressure anisotropy instability of AU-scale Alfvén waves.
- Scattering by the waves confines the cosmic rays, & drains a modest amount of energy from the turbulent cascade. Some of this heats the plasma and some is kept by the cosmic rays.